AMENDMENTS TO THE CLAIMS:

1. (Currently amended) A method of increasing at least one of efficiency and speed in executing a matrix subroutine on a computer, said method comprising:

storing data contiguously for a matrix subroutine call in a computer memory in an increment block size that is based on a cache size of said computer, a first dimension of said block being larger than a corresponding first dimension of said cache and a second dimension of said block being smaller than a corresponding second dimension of said cache, such that said block fits into a working space of said cache.

2. (Original) The method of claim 1, further comprising:

retrieving said data from said memory in units of said increment block; and

executing at least one matrix subroutine using said data.

3. (Canceled)

4. (Currently amended) The method of claim 1, wherein said cache comprises a cache having a cache size ~~NB~~ CS and said block increment size comprises a block of size 2NB by NB/2, wherein $NB^2 = \alpha$ CS, $\alpha < 1$, so that said block occupies a sizeable portion of said cache.

5. (Currently amended) The method of claim 1, wherein said cache comprises an L1 or L2 cache, said L1 or L2 cache ~~representing~~ comprising a cache closest to at least one of a Central Processing Unit (CPU) and a Floating-point Processing Unit (FPU) of a computer system associated with said computer memory.

6. (Original) The method of claim 1, wherein said matrix data is loaded contiguously in said memory in increments of a memory line size LS and data is retrievable from said memory in units of LS.

7. (Currently amended) The method of claim 2, wherein said at least one matrix subroutine comprises a matrix ~~multiplication~~ operation.

8. (Original) The method of claim 2, wherein said at least one matrix subroutine comprises a subroutine from a LAPACK (Linear Algebra PACKage).

9. (Currently amended) The method of claim 2, wherein ~~an entire block is executed by~~ said subroutine <u>operates on an increment block of data</u> as a result of a <u>single</u> call ~~for~~ <u>on this</u> data.

10. (Currently amended) An apparatus, comprising:

a processor for processing a matrix subroutine;

a cache associated with said processor; and

a memory, wherein said memory ~~loads a~~ <u>stores</u> data for memory calls of said matrix subroutine <u>as contiguous data</u> in an increment block size that is based on a dimension of said cache <u>and loads said blocks of data into said cache for said matrix subroutine processing,</u> <u>wherein a dimension of said increment block size is larger than any dimension of a working area</u> <u>of said cache used for processing said matrix subroutine.</u>

11. (Currently amended) The apparatus of claim 10, wherein said cache comprises a cache having a cache size ~~NB~~ CS, and said block increment size comprises a block of size 2NB by NB/2, wherein $NB^2 = \alpha CS$, $\alpha < 1$, so that said block occupies a sizeable portion of said cache.

12. (Currently amended) The apparatus of claim 10, wherein said matrix subroutine comprises a matrix ~~multiplication~~ operation.

13. (Original) The apparatus of claim 10, wherein said matrix subroutine comprises a subroutine from a LAPACK (Linear Algebra PACKage).

14. (Currently amended) The apparatus of claim 10, wherein a line size of said memory is LS and data is retrieved from said memory in units of LS, each said block of data being retrieved by usually an integral number of memory line retrievals.

15. (Currently amended) A signal-bearing medium tangibly embodying a program of machine-readable instructions executable by a digital processing apparatus, said instructions including a method of storing data for a matrix subroutine call in a computer memory in an increment block size that is based on a cache size of said computer, a first dimension of said block being larger than a corresponding first dimension of said cache and a second dimension of said block being smaller than a corresponding second dimension of said cache, such that said block fits into a working space of said cache.

16. (Original) The signal-bearing medium of claim 15, wherein said matrix subroutine comprises a subroutine from a LAPACK (Linear Algebra PACKage).

17. (Original) The signal-bearing medium of claim 15, wherein said cache comprises a cache having a cache size CS NB, and said block increment size comprises a block of size 2NB by NB/2, wherein $NB^2 = \alpha \, CS, \, \alpha < 1$, so that said block occupies a sizeable portion of said cache.

18. (Currently amended) The signal-bearing medium of claim 15, wherein a line size of said memory is LS and data is retrieved from said memory in units of LS, each said block of data being retrieved by usually an integral number of memory line retrievals.

19. (Currently amended) A method of solving a problem using linear algebra, said method comprising at least one of:

initiating a computerized method of performing one or more matrix subroutines, wherein said computerized method comprises storing data for a matrix subroutine call in a computer memory in an increment block size that is based on a cache size of said computer, a first dimension of said block being larger than a corresponding first dimension of said cache and a second dimension of said block being smaller than a corresponding second dimension of said cache, such that said block fits into a working space of said cache;

transmitting a report from said computerized method via at least one of an internet interconnection and a hard copy; and

receiving a report from said computerized method.

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20. (Original) The method of claim 19, wherein said cache comprises a cache having a size ~~NB~~ CS, and said block increment size comprises a block of size 2NB by NB/2, wherein $NB^2 = \alpha\, CS$, $\alpha < 1$, so that said block occupies a sizeable portion of said cache.

21. (Currently amended) A method of providing a service, said method comprising an execution of a matrix subroutine in accordance with the method of ~~claim 1;~~ claim 1.

22. (Original) A method of providing a service, said method comprising at least one of:

   solving of a problem using linear algebra in accordance with the method of claim 19; and

   providing a consultation to solve a problem that utilizes said computerized method.

23. (Currently amended) The method of claim 1, wherein a size of said cache is CS and a working size of said cache for said matrix data is ~~approximately NB x NB~~ $\alpha\, CS$, $\alpha < 1$, wherein said matrix to be processed comprises submatrices, and wherein data of said submatrices are stored in memory as k rectangular blocks of contiguous data that will each fit into said cache working size, k being an integer, and each said rectangular block having total size $\alpha\, CS$.

24. (Currently amended) The method of claim 23, wherein said rectangular block of data stored in said memory comprises a rectangular block of size 2NB by NB/2 of contiguous matrix data.

25. (Currently amended) The method of claim 23, further comprising:

   processing said rectangular blocks of matrix data by calling a DGEMM (Double-precision Generalized Matrix Multiply) kernel a plurality of times, using each one of said

rectangular blocks of contiguous data with each said DGEMM kernel call.

26. (Previously presented) The method of claim 25, wherein data for all operands used in said DGEMM kernel comprise data stored as contiguous data in lines of said memory such that data for each said operand can be retrieved as contiguous data from said memory using usually an integral number of memory line retrievals respectively appropriate for each said operand.

27. (Previously presented) The method of claim 23, said method further comprising:

for data of said matrix, preliminarily converting and storing in said memory said data of said matrix into a number of rectangular blocks of contiguous data that will each fit into said cache size approximately NB x NB, including, if necessary, adding padding data to fill up a block or a complete line of memory, said padding chosen to have no effect on a calculation result of said matrix subroutine call.